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Recursive state estimation for lane detection using a fusion of cooperative and map based data

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Agenda

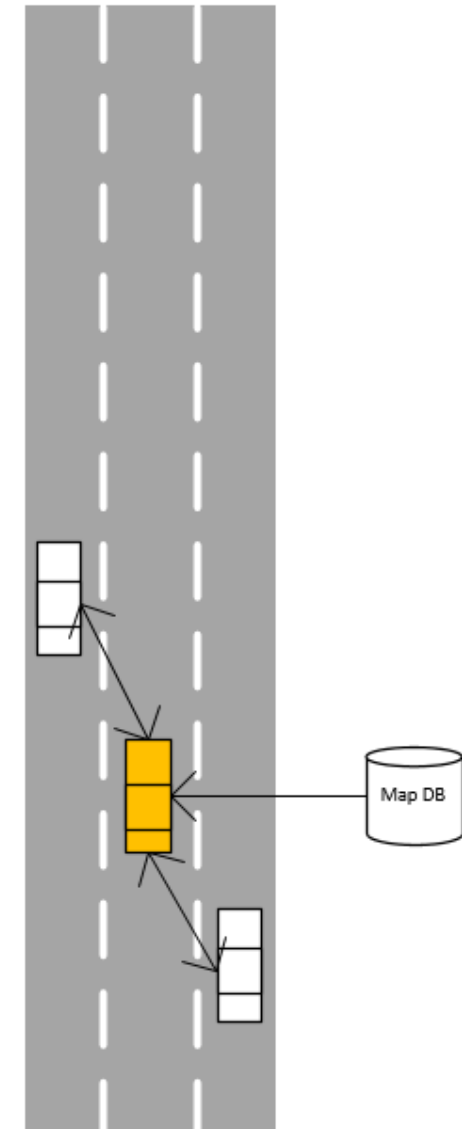
- Motivation
- Approach
- Hypotheses generation
- Probabilty deduction
- Results

Motivation

- Many ADAS require lane-level accuracy positioning
- Plain GNSS not precise enough
 - app. 10 meters
- In-vehicle sensors limited
 - Camera: Deterioration (e.g. snow)
 - Radar: 30 m
- Usage of GNSS characteristics
 - Limited precision of ephemeris and clock data
 - Signal propagation errors by atmospheric effects
 - Errors common for receivers in proximity

Approach

- Use cooperative positioning
- Fuse with map data
- Discrete Bayes Filter
- Recursive state estimation
- Generate lane hypotheses
- Deduct lane probability from orientation and perpendicular distance



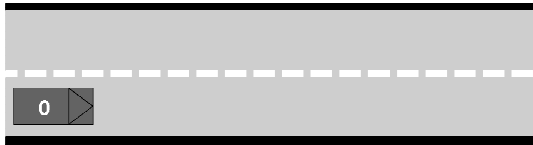
Hypotheses generation



$$\mathbf{H} = \left\{ \begin{array}{l} h_0 = ((v_0 \rightarrow l_0), 0.5), \\ h_1 = ((v_0 \rightarrow l_1), 0.5) \end{array} \right\}$$

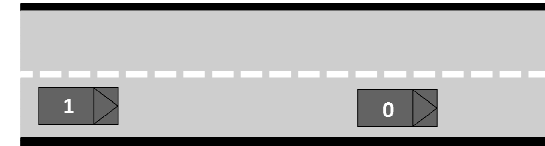
- Fusion with map data in each step
- Hypotheses \mathbf{H} consisting of hypothesis h_n
- Potential lane assignments, probability annotated

Hypotheses generation



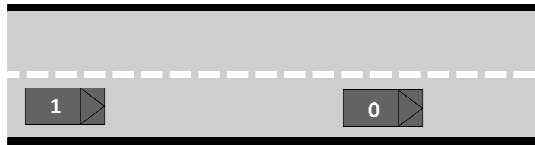
$$\mathbf{H} = \left\{ \begin{array}{l} h_0 = ((v_0 \rightarrow l_0), 0.5), \\ h_1 = ((v_0 \rightarrow l_1), 0.5) \end{array} \right\}$$

- New vehicle in proximity
- Distribute probability equally

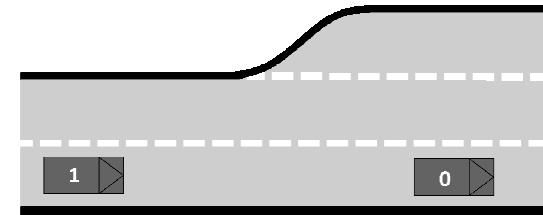


$$\mathbf{H} = \left\{ \begin{array}{l} h_0 = ((v_0 \rightarrow l_0, v_1 \rightarrow l_0), 0.25), \\ h_1 = ((v_0 \rightarrow l_0, v_1 \rightarrow l_1), 0.25), \\ h_2 = ((v_0 \rightarrow l_1, v_1 \rightarrow l_0), 0.25), \\ h_3 = ((v_0 \rightarrow l_1, v_1 \rightarrow l_1), 0.25) \end{array} \right\}$$

Hypotheses generation



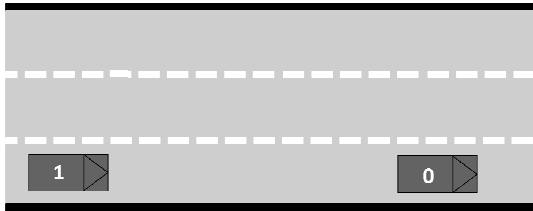
$$\mathbf{H} = \left\{ \begin{array}{l} h_0 = ((v_0 \rightarrow l_0, v_1 \rightarrow l_0), 0.7), \\ h_1 = ((v_0 \rightarrow l_0, v_1 \rightarrow l_1), 0.1), \\ h_2 = ((v_0 \rightarrow l_1, v_1 \rightarrow l_0), 0.1), \\ h_3 = ((v_0 \rightarrow l_1, v_1 \rightarrow l_1), 0.1) \end{array} \right\}$$



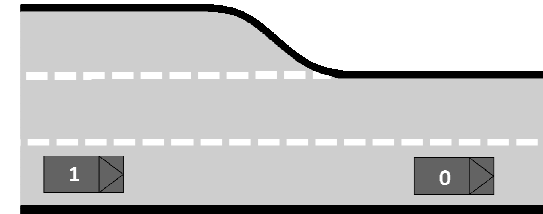
$$\mathbf{H} = \left\{ \begin{array}{l} h_0 = ((v_0 \rightarrow l_0, v_1 \rightarrow l_0), 0.4667), \\ h_1 = ((v_0 \rightarrow l_0, v_1 \rightarrow l_1), 0.0667), \\ h_2 = ((v_0 \rightarrow l_1, v_1 \rightarrow l_0), 0.0667), \\ h_3 = ((v_0 \rightarrow l_1, v_1 \rightarrow l_1), 0.0667), \\ h_4 = ((v_0 \rightarrow l_2, v_1 \rightarrow l_0), 0.1667), \\ h_5 = ((v_0 \rightarrow l_2, v_1 \rightarrow l_1), 0.1667) \end{array} \right\}$$

- New lane available for ego vehicle
- Expand state space
- Distribute probability of new assignments equally
- Normalize previous assignments

Hypotheses generation



$$\mathbf{H} = \left\{ \begin{array}{l} h_0 = ((v_0 \rightarrow l_0, v_1 \rightarrow l_0), 0.3111), \\ h_1 = ((v_0 \rightarrow l_0, v_1 \rightarrow l_1), 0.0444), \\ h_2 = ((v_0 \rightarrow l_0, v_1 \rightarrow l_2), 0.1111), \\ h_3 = ((v_0 \rightarrow l_1, v_1 \rightarrow l_0), 0.0444), \\ h_4 = ((v_0 \rightarrow l_1, v_1 \rightarrow l_1), 0.0444), \\ h_5 = ((v_0 \rightarrow l_1, v_1 \rightarrow l_2), 0.1111), \\ h_6 = ((v_0 \rightarrow l_2, v_1 \rightarrow l_0), 0.1111), \\ h_7 = ((v_0 \rightarrow l_2, v_1 \rightarrow l_1), 0.1111), \\ h_8 = ((v_0 \rightarrow l_2, v_1 \rightarrow l_2), 0.1111) \end{array} \right\}$$



$$\mathbf{H} = \left\{ \begin{array}{l} h_0 = ((v_0 \rightarrow l_0, v_1 \rightarrow l_0), 0.4083), \\ h_1 = ((v_0 \rightarrow l_0, v_1 \rightarrow l_1), 0.1000), \\ h_2 = ((v_0 \rightarrow l_0, v_1 \rightarrow l_2), 0.1667), \\ h_3 = ((v_0 \rightarrow l_1, v_1 \rightarrow l_0), 0.0583), \\ h_4 = ((v_0 \rightarrow l_1, v_1 \rightarrow l_1), 0.1000), \\ h_5 = ((v_0 \rightarrow l_1, v_1 \rightarrow l_2), 0.1667) \end{array} \right\}$$

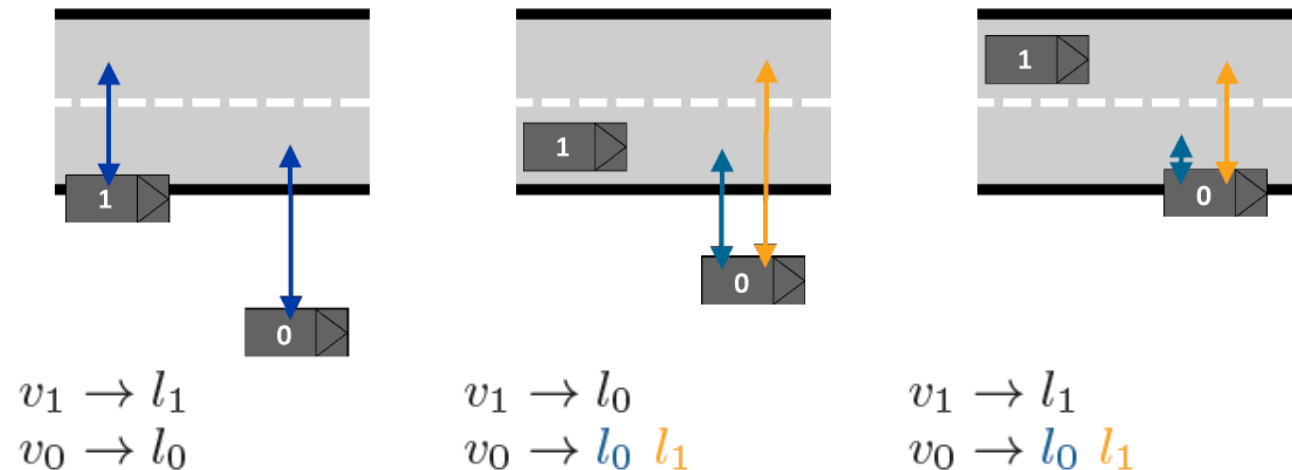
- Lane disappears for ego vehicle
- Shrink state space
- Distribute probability of reduced states to hypothesis with same remaining assignments

Probability deduction

- Discrete Bayes Filter
- Prediction
 - Based on heading of vehicle and street
 - Angle of vehicle and lane similar:
 - Low probability for lane change
 - Angle of vehicle yields towards another lane:
 - High probability for lane change

Probability deduction

- Discrete Bayes Filter



- Update

- Take reference vehicle (v_1) and translate it to lane according to a hypothesis
- Move all other vehicles by the same translation
- Translate all other vehicles according to the hypothesis
- Sum of translations of other vehicles influences probability of hypothesis
- Probabilities summed up per vehicle

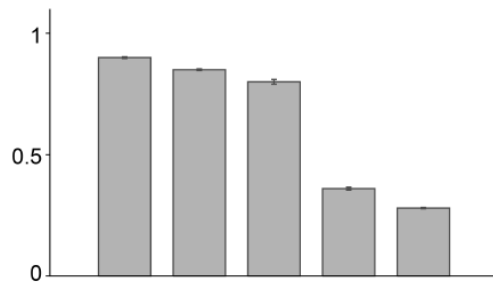
Evaluation

- Simulated GNSS errors
- Gaussian bias and Gaussian receiver error

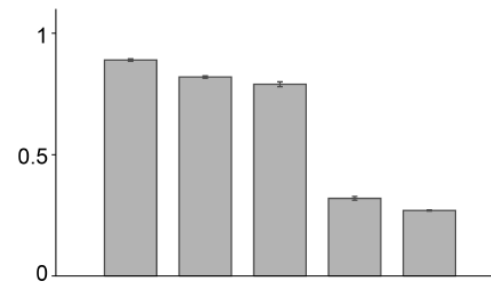
Configuration	σ_{bias}	max_{bias}	σ_{rec}	max_{rec}
Bias Gauss 1	8	15	0.5	2
Bias Gauss 2	8	15	1	4
Bias Gauss 3	8	15	2	6
Bias Gauss 4	8	15	4	10
Bias Gauss 5	8	15	6	12

Results

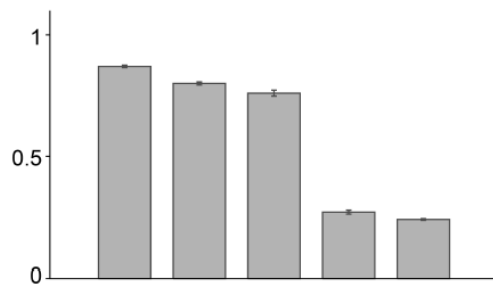
- Test with different scenarios, different Gaussian errors and different thresholds



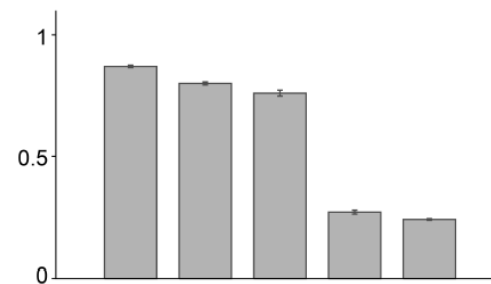
(a) *threshold* = 80%



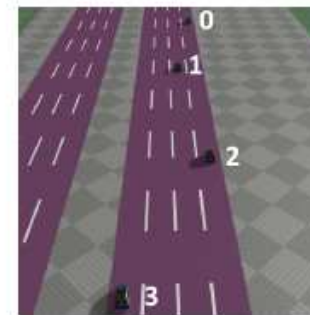
(b) *threshold* = 85%



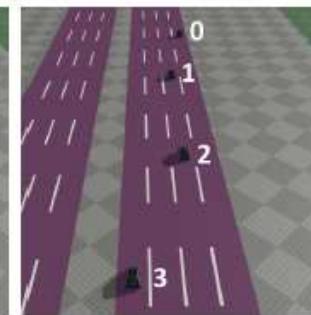
(c) *threshold* = 90%



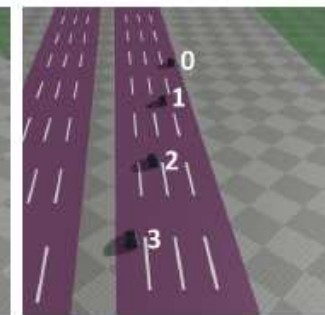
(d) *threshold* = 95%



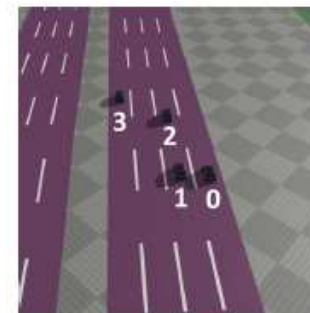
(a) $t_0 \leq t \leq t_1$



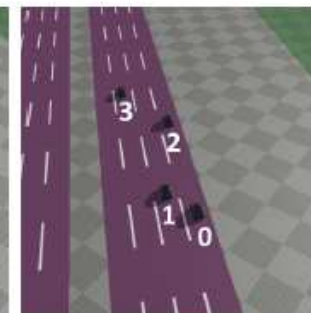
(b) $t_1 < t \leq t_2$



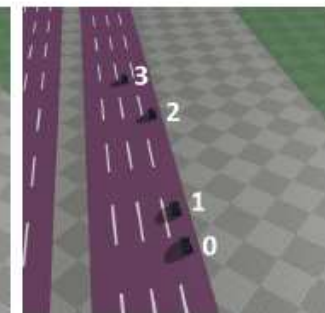
(c) $t_2 < t \leq t_3$



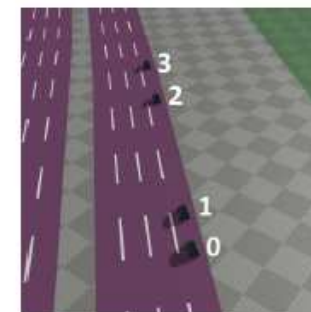
(d) $t_3 < t \leq t_4$



(e) $t_4 < t \leq t_5$



(f) $t_5 < t \leq t_6$



(g) $t_6 < t \leq d$

Conclusion

- Lane detection based on Cooperative Positioning fused with map data
- Discrete Bayes Filter
- Hypotheses generation based on map information
- Prediction based on vehicle orientation
- Update based on relative vehicle positions
- Evaluated with different scenarios and configurations
 - Over 80% reliability with GNSS receiver error of up to 6 meters